



# Simulating Hydrogen Transport and Single-Event Transients

#### Mark E. Law Dan Cummings, Nicole Rowsey And a Host of Collaborators





**Objectives and Outline** 

- Provide device simulation environment for rad-hard applications (both SET and degradation)
- Address Rad-Hard specific issues
  - Numeric discretization, parallel
  - Physics strain, mobility
  - Coupled Device / Defect

NIVERSITY OF



# FLOOPS / FLOODS / FLOORS

- Multi-dimensional, Object-oriented codes
- P = Process / D = Device 90% code shared
- Scripting capability for PDE's Alagator
- Commercialized ISE / Synopsys
  - Sentaurus Process is based on FLOOPS
- Licensed at over 300 sites world-wide
- Fick's Second Law of Diffusion
  - ddt(Boron) 9.0e-16 \* grad(Boron)
  - $\partial \mathbf{C}(\mathbf{x},t) / \partial t = \mathbf{D} \partial^2 \mathbf{C}(\mathbf{x},t) / \partial \mathbf{x}^2$
- All physics is defined on the command line
- Rapidly evolve models for new devices / materials / physics

## FLOOXS User Guide (Wiki)

- New FLOOPS/FLOODS user guide is under development
- The website will include:
  - Device and process simulation examples
  - Alagator scripting language and command examples
  - Code development section

Address:

http://www.flooxs.ece.ufl.edu

TROOM	
FLOOXS	
Manual	Contents [hide]
	1 Resistor
ation	2 P-N Diode
in Page	3 BUIK-SI MOSFET
mmunity portal	4 FINEL
rrent events	5 BJI 6 Other Heefel Decourses
cent changes	6 Other Oseful Resources
ndom page	Besister
lp	Resistor
h	The following resistors offer a good introduction to creating ar
	- Posister example (1D)
Search	Resistor example (1D)     Desister example (2D)
Jealch	Resistor example (2D)
x	P-N Diode
hat links here	
lated changes	The following diodes build on the resistor examples where the
load file	<ul> <li>PN diode example (1D)</li> </ul>
ecial pages	PN diode example (2D)
ntable version	PN diode example (3D)
rmanent link	D # O'MOOFFT
	BUIK-SI MOSFET
	NMOS example (2D)
	NMOS example (3D)
	FinFET
	<ul> <li>Double-gate FinFET example (2D)</li> </ul>
	BJT
	the second se



# Laser-Induced Current Transients in Strained-Si Diodes (NSREC09)

- Single event transients (SETs) and single event upsets (SEUs) are related to collection of radiation-generated charge at sensitive circuit nodes
- Due to the widespread adoption of strained-Si technology, it is important to understand how mechanical stress affects these transient pulses.
- A pn diode is a good representation of the source/drain junctions that are responsible for charge collection in MOSFETs.
- Uniaxial strain engineering has the potential to control the shape of single event transients and collected charges in devices.



### Simulation Setup

- A reverse-biased n<sup>+</sup>p diode of dimensions 40 x 40 x 40  $\mu$ m was created
- Advanced mobility models (Masetti, Brooks-Herring) and recombination models (SRH, Auger) were used
- The number and distribution of electron-hole pairs generated by the laser pulse are calculated by a single photon absorption (SPA) equation.
- The SPA parameters are matched to the values of the laser used for the experiment

$$N_{1p}(z) = \frac{\alpha}{\hbar\omega} \exp(-\alpha z) I(r, z)$$

• Uniaxial mechanical stress along the <110> direction was applied



#### Simulation Results

- FLOODS simulation output shows the same trend as the experimental data
- The change in the collected charge under mechanical stress can be explained by a change of electron mobility in the <001> direction  $(\Delta \mu_n^{\perp})$
- The FLOODS predicts that the amount of charge collected under 1 GPa of tensile stress is 22% less than that collected in an unstressed device.



**Object Oriented** 

- Derived Specific Geometry Elements
- Common properties so code is independent



## **Comparison of Discretization Methods**

- Commercial tools use finite volume Scharfetter-Gummel  $(n, p, \psi)$  current edge
- Experimental finite element quasi-Fermi levels  $(\varphi_n, \varphi_p, \psi)$  current continuous

$$J_n = qn\mu_n \mathbf{E} + qD_n \nabla n = -q\mu_n n \nabla \phi_n$$

• SG requires grid alignment for accurate answers - not possible in generic rad strike



Mesh Element Types

- The quasi-Fermi method takes the Grad(Qf) over the element to calculate current density, thus current flow in the QF method is not defined on the edges is in the Scharfetter-Gummel method -> may be better for particle strike transients
- The follow elements were tested using the different discretization methods:



## **Results Summary**

- For 3-D simulations, brick elements offer better solution converge than tetrahedra elements (DC and transient)
- The quasi-Fermi method requires fewer Newton steps to converge for each time step during 3-D charge collection transients. This results in a shorter total simulation time.
- The improved stability of the FEQF method for 3-D charge collection transients may be due to a better handling of isotropic current flow.



FE QF might parallelize better than FV SG

# Philips Mobility Model

The Philips mobility model is of an empirical form derived from the Masetti<sup>[2]</sup> model (eqn. 20 in ref. [1]).

$$\mu_{e,D+A+j}(N_D, N_A, n, p) = \mu_{e,N}\left(\frac{N_{e,sc}}{N_{e,sc,eff}}\right)\left(\frac{N_{ref,1}}{N_{e,sc}}\right)^{\alpha_1} + \mu_{e,c}\left(\frac{n+p}{N_{e,sc,eff}}\right)$$
[20]  
$$N_{e,sc,eff} = N_D + G(P_e)N_A + p/F(P_e)$$

Where:

The G and F terms are quantum-mechanic scattering parameters. F varies from 1 to 5 and  $\mu_{e,c}$  and  $\mu_{e,N}$  are mobility constants.

When  $n=p >> N_D$  or  $N_A$ , as in the case of a radiation strike, equation reduces to the following:

$$\mu_{e,D+A+j} \approx \mu_{e,c} \cdot F(Pe) \cdot 2 \quad -> 500$$



# Proposed mobility model

The new model reduces mobility with increasing e-h carrier concentration. The proposed mobility model is a modified version of the Klaassen / Masetti<sup>[2]</sup> model (lattice and ionized impurity scattering) and is coupled with a classical electron-hole scattering model.

Doping dependent majority

$$\mu_{e,L,I,maj} = \mu_{\min} + \frac{\mu_{\max} - \mu_{\min}}{1 + (N_j / C_R)^{\mu_1}} - \frac{\mu_1}{1 + (C_S / N_j)^{\mu_2}}$$

#### Doping dependent minority

$$\mu_{e,L,I,\min} = \mu_{\min} + \frac{\mu_{\max} - \mu_{\min}}{1 + \left(\frac{N_j}{C_R}\right)^{\alpha_1}} - \frac{\mu_1}{1 + \left(\frac{C_S}{N_j}\right)^{\alpha_2}} + \frac{\mu_2}{1 + \left(\frac{N_j}{C_T}\right)^{\alpha_3}}$$

Weighted average approach

Conwell-Weisskopf <sup>[3,4]</sup> e-h scattering (Brooks-Herring also an option):

 $D(T)^{3/2}$ 

$$\mu'_{e,L,I} = \left(\frac{N_D}{N_D + N_A}\right) \cdot \mu_{e,L,I,maj} + \left(\frac{N_A}{N_D + N_A}\right) \cdot \mu_{e,L,I,min} \qquad \mu_{eh} = \frac{D\left(\frac{1}{T_0}\right)}{\sqrt{np}} \left[\ln\left(1 + F\left(\frac{T}{T_0}\right)^2 (pn)^{-1/3}\right)\right]^{-1}$$
  
Final Result:  
$$\mu_{e,L,I,eh} = \left[\frac{1}{\mu'_{e,j,L,I}} + \frac{1}{\mu_{eh}}\right]^{-1}$$

**General Comparison** 

- The Philips mobility model predicts an increase in mobility if  $n,p >> N_D,N_A$  for doping levels more than ~1e18 cm<sup>-3</sup>
- The below graphs show how the different models treat electron mobility for a varying  $N_D$  concentration and increasing n=p carrier levels.  $N_A = 1e14$  cm<sup>-3</sup> is held constant.



## Charge collection simulation

To compare how the models collect charge, a simple 2D reversebiased diode was simulated in FLOODS. As expected, the higher mobility predicted by the Philips model results in a larger amount of charge collected.



# **Strained CMOS Devices**

Following the conclusion of the strained diode work, strained CMOS devices will be looked at in greater detail

Comp.

Liner

- 3-D Strained CMOS devices are now working in FLOODS
- Examining possibility of a mixed-mode SRAM cell  ${}^{\bullet}$ simulation (stressed vs. unstressed)
- Mixed-mode option will require new coding



ORIDA



FLOOXS predicted stress profile [dyne/cm2] (Y component) ~1 GPa in channel region

Strained Double-Gate FinFET

0

• In addition to 3-D strained CMOS, 3-D Strained double-gate FinFETs are now working in FLOODS



# Hydrogen Trapping Simulation

- Simulate in Quasi-Steady State
  - Hydrogen Soak Anneals
- Simulate Hole / Hydrogen / Vacancy Interactions in Oxides
  - Simple first order reactions
  - Diffusion + Field Transport
  - Issues with the Chen model
- Build Equations for Proposed Reactions (Tuttle)
  - $-V + h^+ -> V^+$
  - $-H_2 + V^+ -> VH + H^+$



Vanderbilt + UF



# Hydrogen Simulation Development

- Implemented Equations
- TNS Paper Last Year
- Refine the model
- Developed
  - Reaction Add Routine
  - Equation Builder
- Working on right Eqn's
- Collaborate w/ Vandy
  - Hughart's Experiments



#### Picture from Ball et al., IEEE TNS, 49(2002) p.3185





## Summary

Continuing Work:

- Quasi-Fermi method testing, need to understand transient simulation time savings
  - QF method coupled with parallelized code may offer good simulation time benefit
- Non-linear piezoresistive stress model (Hyunwoo Park)
  - Biaxial stress modeling
  - Optimum stress type to minimize SET

Future Work:

- Parallelization of Code using PETSc
- Mixed-Mode Simulation